## Recursive Sequence

Sequence $\left(a_{i}\right)$ of natural numbers is defined as follows:

$$
\begin{aligned}
& a_{i}=b_{i}(\text { for } i<=k) \\
& a_{i}=c_{1} a_{i-1}+c_{2} a_{i-2}+\ldots+c_{k} a_{i-k}(\text { for } i>k)
\end{aligned}
$$

where $b_{j}$ and $c_{j}$ are given natural numbers for $1<=j<=k$. Your task is to compute $a_{n}$ for given $n$ and output it modulo $10^{9}$.

## Input

On the first row there is the number $C$ of test cases (equal to about 1000).
Each test contains four lines:
$k$ - number of elements of (c) and (b) ( $1<=k<=10$ )
$b_{1}, \ldots, b_{k}-k$ natural numbers where $0<=b_{j}<=10^{9}$ separated by spaces
$c_{1}, \ldots, c_{k}-k$ natural numbers where $0<=c_{j}<=10^{9}$ separated by spaces
$n$ - natural number ( $1<=n<=10^{9}$ )

## Output

Exactly $C$ lines, one for each test case: $a_{n}$ modulo $10^{9}$

## Example

## Input:

3
3

## Output:

8
714
257599514

